Playa Spiaggia Beach has a straight coastline, with two lifeguard towers on the beach (not on the coastline). [a]

A dog is running on the beach so that the distance from one tower to the dog to the other tower is always 35 feet.

The dog's path is in the shape of a/an ______ (or part of it).

- The shape of the graph of the equation $2x^2 + 2x 2y^2 2y 1 = 0$ is a/an HYPERBOLA. [b]
- The shape of the graph of the equation $3x^2 + 3x + 2y 1 = 0$ is a/an PARABOLA! [c]

Convert the polar equation $r = \frac{1}{2 + \cos \theta}$ to rectangular form.

SCORE: ____ / 6 PTS

Simplify your answer so that there are no radicals, complex fractions, fractional exponents nor negative exponents.

r(2+cos0)=1 2rtras0= 2+x=12 2 (x2+y2+x=12) 2/x2+y2=1-X 4(x2+42)=(1-x)2 $3x^{2}+4y^{2}=1-2x+x^{2}$

Find the vertices, foci and equations of the asymptotes of the hyperbola $2x^2 - 3y^2 - 12x - 24y - 6 = 0$.

 $2x^2-12x-3y^2-24y=6$ $2(x^2-6x+9)-3(y^2+8y+16)=6+18-48$ $c^2=8+12=20$ $2(x-3)^2-3(y+4)=-24.0$ $2(x-3)^2-3(y+4)=-24.0$

CENTER (3,-4)

(y+4)2 - (x-3)2 = 1, (2)

FOCI (3,-4+215) SLOPE = + 2

A point has polar co-ordinates $(7, \frac{3\pi}{5})$	A	point	has polar	co-ordinates	$(7, \frac{3\pi}{5})$)
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SCORE: _____ / 2 PTS

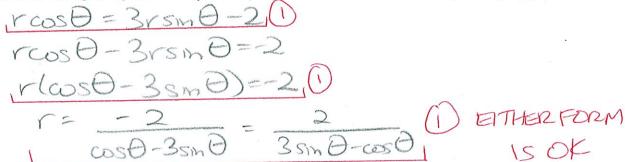
[a] Find another pair of polar co-ordinates for the point, using a negative value of r and a positive value of θ .

$$(-7, 37 + \pi) = (-7, 87)$$

[b] Find another pair of polar co-ordinates for the point, using a positive value of r and a negative value of θ .

$$(7, 34-27) = (7, -74)$$

Convert the rectangular equation x = 3y - 2 to polar form. Write r as function of θ , and simplify your answer. SCORE: _____/3 PTS



Using the distance based definition (as shown in lecture for ellipses and parabolas),

SCORE: /9 PTS

find the equation of the hyperbola with foci (0, -6) such that the distances from the foci to any point on the hyperbola differ by 4.

$$\sqrt{x^{2}+(y+6)^{2}} - \sqrt{x^{2}+(y-6)^{2}} = \pm 4, (2)$$

$$\sqrt{x^{2}+(y+6)^{2}} = \pm 4 + \sqrt{x^{2}+(y-6)^{2}}, (0)$$

$$x^{2}+y^{2}+12y+36 = 16 \pm 8, (x^{2}+(y-6)^{2}) + x^{2}+y^{2}-12y+36, (2)$$

$$24y-16 = \pm 8, (x^{2}+(y-6)^{2})$$

$$3y-2 = \pm \sqrt{x^{2}+(y-6)^{2}}, (0)$$

$$9y^{2}-12y+4 = x^{2}+y^{2}-12y+36, (0)$$

$$8y^{2}-x^{2} = 32, (0)$$

$$\frac{y^{2}}{4} - \frac{x^{2}}{32} = 1, (0)$$